Use a graph of each function to estimate the indicated function values.

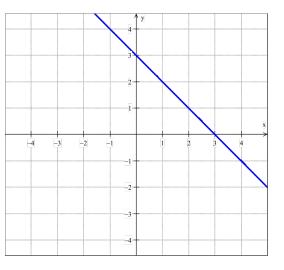
1. 
$$f(x) = -x + 3$$

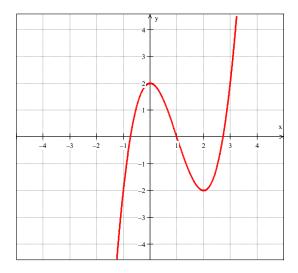
$$f(-1) = ?$$
  $f(0) = ?$   $f(3) = ?$ 

$$f(0) = ?$$

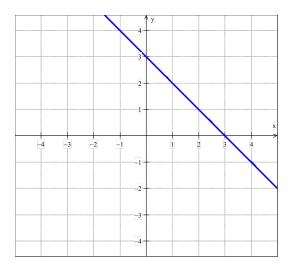
$$f(3) = 3$$

2. 
$$f(x) = x^3 - 3x^2 + 2$$
  
 $f(-1) = ?$   $f(0) = ?$   $f(2) = ?$ 

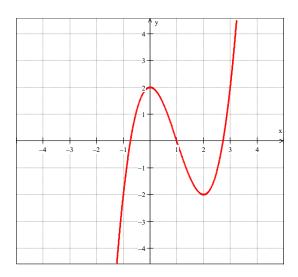




Graphically



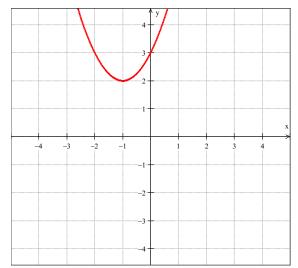
Graphically



Algebraically

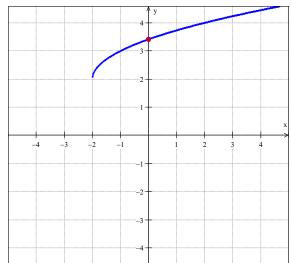
Use the graph of each function to approximate its y –intercept. Then find the y –intercept algebraically.

3. 
$$f(x) = x^2 + 2x + 3$$



Graphically

$$f(x) = \sqrt{x+2} + 2$$

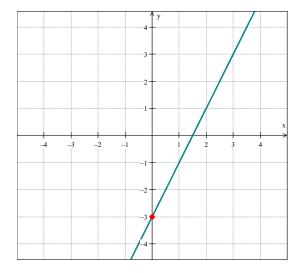


Graphically

Algebraically

Algebraically

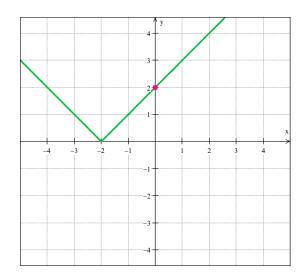
5. 
$$f(x) = 2x - 3$$



Graphically

Algebraically

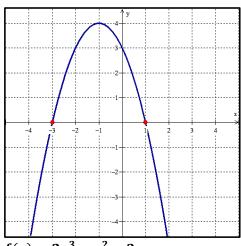
6. f(x) = |x+2|



Graphically

Use the graph of each function to approximate its zeros. Then find the zeros of each function algebraically.

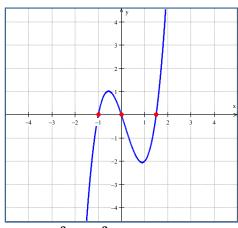
 $f(x) = -x^2 - 2x + 3$ 7.



Graphically

Algebraically

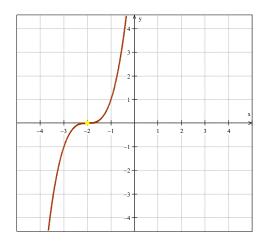
 $f(x) = 2x^3 - x^2 - 3x$ 8.



Graphically

Algebraically

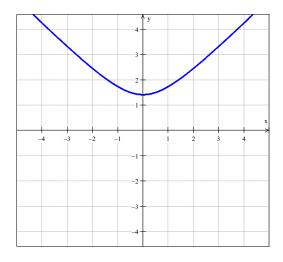
 $f(x) = x^3 - 6x^2 - 12x + 8$ 9.



Graphically

Use the graph of each equation to test for symmetry with respect to the x -axis, y -axis, and the origin. Support the answer numerically. Then confirm algebraically.

10. 
$$y = \sqrt{x^2 + 2}$$



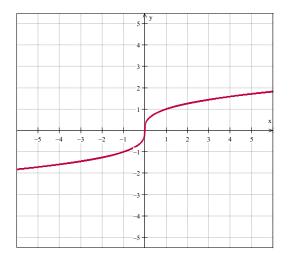
#### **Graphically**

#### **Support Numerically**

x			
y			
(x, y)			

### **Algebraically**

**11.** 
$$y = \sqrt[3]{x}$$



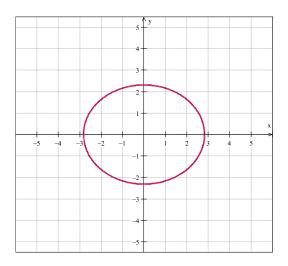
#### **Graphically**

#### **Support Numerically**

х			
y			
(x, y)			

# Name: \_\_\_\_\_\_Period: \_\_\_\_\_ Date: \_\_\_\_\_ Analyzing Graphs of Functions and Relations Assignment

12. 
$$2x^2 + 3y^2 = 16$$



**Graphically** 

Symmetric with respect to x -axis

**Algebraically** 

#### **Support Numerically**

х		
у		
(x,y)		

Symmetric with respect to y -axis

**Algebraically** 

#### **Support Numerically**

x		
y		
(x,y)		

Symmetric with respect to origin

Algebraically

#### **Support Numerically**

х		
у		
(x,y)		

Determine whether the following are even, odd, or neither.

13. 
$$f(x) = x^3 + 2x$$

14. 
$$g(t) = 2t^4 + t^2$$

15. 
$$h(y) = y^4 - 5y^2 - 3y$$

#### **SOLVE REAL WORLD PROBLEM**

The temperature T in degrees Fahrenheit t hours after 6 AM is given by  $T(t) = -\frac{1}{2}t^2 - 8t + 3$ , 16. for 0 < t < 10. Find T(0), T(2) and T(6) graphically and algebraically.

### Graphically

